Role of wafer geometry in wafer chucking

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Abstract. Wafer chucking is a critical component of wafer processing in advanced lithography systems. In order to achieve good quality in the fabricated device, it is important that the wafer is properly clamped and chucked during exposure. Wafer geometry and chuck design play a significant role in achieving complete chucking. In this paper, we present an analytical model to predict the minimum clamping pressure required to completely chuck a wafer with a specified geometry. The model is validated against experimental data and finite element simulations. The results show that the analytical model provides a simple and effective way to estimate the clamping pressure required for different wafer geometries.

1 Introduction

Wafer chucking is a key process step in the fabrication of advanced semiconductor devices. The wafer must be held in place during exposure and must maintain its shape and position throughout the exposure process. This is achieved through the use of wafer chucks, which apply a clamping pressure to the wafer. The clamping pressure is typically generated by electrostatic or vacuum chucks.

Electrostatic chucks use electrical forces to hold the wafer in place, while vacuum chucks use a vacuum to create a clamping force. Both types of chucks are designed to apply a uniform pressure to the wafer in order to maintain a flat and parallel surface. However, the clamping pressure required to achieve complete chucking can be complex and depends on a number of factors, including the wafer geometry, the chuck design, and the process conditions.

2 Analytical Model of Chucking

In this section, we present an analytical model to predict the minimum clamping pressure required to completely chuck a wafer with a specified geometry. The model is based on a simple analytical model that takes into account the wafer geometry, the clamping pressure, and the expected deflection of the wafer.

The analytical model is described by the following equation:

\[ P_{\text{min}} = \frac{E}{t} \frac{a}{b} \]

where \( P_{\text{min}} \) is the minimum clamping pressure, \( E \) is the Young's modulus of the wafer material, \( t \) is the thickness of the wafer, \( a \) is the wafer radius, and \( b \) is the wafer height.

The model is validated against experimental data and finite element simulations. The results show that the analytical model provides a simple and effective way to estimate the clamping pressure required for different wafer geometries.

References


Fig. 1 Schematic of wafer geometry and loading considered in the analytical and 2-D finite element models. The wafer has uniform thickness, \( h \), and the medial-plane of the wafer varies sinusoidally with position in one dimension. As a result of this wafer shape, an initial gap with height, \( A \), and wavelength, \( \lambda \), exists between the elastic wafer and rigid chuck. The wafer is loaded uniformly with applied pressure, \( P \).

substantially more complex, the essential scaling obtained from a 1-D analytical model provides insight into critical factors in chucking. As shown in Fig. 1, the wafer is assumed to be in contact with a rigid chuck and a uniform pressure is applied by the chucking load (e.g., vacuum or electrostatic). Before pressure is applied, the wafer shape results in a sinusoidal gap at the interface with maximum height \( A \):

\[
s = \frac{A}{2} \left[ 1 + \cos \left( \frac{2\pi x}{\lambda} \right) \right]. \tag{1}
\]

For complete chucking, the applied pressure must be sufficient to completely close this interface gap. To calculate the pressure required to achieve complete chucking, we consider two analytical models for different wafer geometry regimes: long wavelengths (\( \lambda \gg h \)) and short wavelengths (\( \lambda \ll h \)).

In the long wavelength regime (\( \lambda \gg h \)), a beam theory-based model is employed. Specifically, a shear-corrected beam theory model, often referred to as Timoshenko beam theory, is employed. The governing equation for shear-corrected beam theory can be written as

\[
\frac{k^2}{x^2} \phi - \phi = - \frac{dw}{dx}, \tag{2}
\]

where \( \phi \) and \( w \) are functions of \( x \) that represent the slope due to bending and the transverse deflection, respectively. The constant \( k \) is a function of the thickness, elastic properties, and cross-sectional shape of the beam. For a rectangular cross-section, \( k \) is defined as

\[
k = \frac{1}{120} \frac{Eh^2}{G(1+\nu)(12+11\nu)}, \tag{3}
\]

where \( E \) is the Young’s modulus, \( G \) is the shear modulus, and \( \nu \) is Poisson’s ratio. For an isotropic material, \( G = E/(2(1+\nu)) \), and Eq. (3) reduces to

\[
k = \frac{1}{60} h^2 (12 + 11\nu). \tag{4}
\]

By setting \( w = s \), substituting Eq. (1) into Eq. (2), and then solving Eq. (2) for \( \phi \), and applying two boundary conditions (\( \phi_{x=0} = 0 \), \( \phi_{x=L} = 0 \)), we obtain

\[
\phi = -\frac{A\lambda \pi \sin[2\pi(x/\lambda)]}{4k\pi^2 + \lambda^2}. \tag{5}
\]

The resulting pressure distribution required to clamp the wafer can be obtained from this as

\[
P(x) = Ghk\left( \frac{d^2w}{dx^2} - \frac{d^2w}{dx^2} \right). \tag{6}
\]

The required clamping pressure (the minimum pressure that can be applied to achieve complete chucking) is equal to the maximum pressure in Eq. (6) \([\text{i.e., } P(x) \text{ at } x = 0] \), which is

\[
P = \frac{2\pi^4 A\lambda^3 E}{3 \lambda^4} \left[ 1 + \frac{(12 + 11\nu)\pi^2}{15} \left( \frac{h}{\lambda} \right)^2 \right]^{-1}. \tag{7}
\]

This is the pressure required to achieve complete chucking. From this equation, it is evident that required clamping pressure scales linearly with amplitude and increases with decreasing spatial wavelength. This expression can be simplified by assuming a specific value for Poisson’s ratio. Here, we assume \( \nu = 0.18 \), which is typical of silicon, and Eq. (7) reduces to

\[
P = 64.9 \frac{A\lambda^3 E}{h^2} \left[ 1 + 9.20 \left( \frac{h}{\lambda} \right)^2 \right]^{-1}. \tag{8}
\]

Rewriting this equation in terms of the maximum amplitude that can be chucking completely, we obtain

\[
A = 0.154 \frac{P\lambda^3}{h^2 E} \left[ 1 + 9.20 \left( \frac{h}{\lambda} \right)^2 \right]. \tag{9}
\]

In the short wavelength regime (\( \lambda \ll h \)), we consider the deformation of an elastic half-space with a wavy surface with a profile defined by Eq. (1). The general solution for this problem is well known and can be found in Ref. 10. From the general solution in Ref. 10, the pressure required to chuck the surface flat is obtained as

\[
P = \frac{\pi E}{2 \left( 1 - \nu^2 \right)} \frac{A}{h}. \tag{10}
\]

Again, this can be simplified by assuming a typical value of Poisson’s ratio (\( \nu = 0.18 \)), leading to

\[
P = 1.62 \frac{AE}{h}. \tag{11}
\]

Rewriting this equation in terms of the maximum amplitude that can be chucking, yields

\[
A = 0.617 \frac{P\lambda}{E}. \tag{12}
\]

3 2-D Finite Element Model of Chucking a Wavy Wafer

To validate the analytical models in Sec. 2 and better understand the transition between the short and long wavelength regimes, a finite element model of the chucking problem in Fig. 1 was developed. The model was developed and solved in the commercial finite element software ANSYS. The wafer was assumed to have isotropic elastic properties.

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was meshed with 8-noded 2-D continuum elements. A layer of node-to-node contact elements was defined on the lower surface of the wafer. The number of elements in the mesh varied for different geometries and convergence studies were used to ensure sufficient mesh density. In general, there were at least 20 elements in the thickness direction and the aspect ratio of the elements was less than 10:1. A uniform pressure was applied on the top of the wafer. For each geometry (combination of amplitude and wavelength), the model was run multiple times at different pressures and the remaining gap between the wafer and chuck was determined by examining the displacements on the lower surface of the wafer. The relative remaining gap, \( R \), was calculated at the point on the wafer surface where the gap is initially largest as \( R = (A - u_y)/A \), where \( A \) is the initial height of the gap and \( u_y \) is the displacement at the node on the lower surface of the wafer where the gap is initially the largest. The wafer was considered to be fully chucked when \( R < 0.01 \). The “chucking pressure” is defined as the lowest pressure that achieves \( R < 0.01 \).

4 3-D Finite Element Analysis of Chucking Wafers with Arbitrary Geometries

A 3-D finite element model was developed to simulate the chucking of wafers with realistic geometries. The wafer was meshed with 8-node continuum solid elements and the geometry was defined either from imported wafer geometry measurements or through artificial wafer geometries created by superimposing wafer geometry features with varying spatial wavelengths and amplitudes. All wafers were assumed to be uniform thickness with a value of 775 \( \mu \)m and have elastic properties of silicon (\( E = 150 \) GPa, \( \nu = 0.18 \)). A rigid chuck surface was defined and node-to-node contact elements were defined at the interface between the wafer and chuck. The contact elements were configured to have a stiffness that is substantially higher than that of the wafer surface, such that the chuck was effectively rigid. The chucking pressure was uniformly applied across the wafer; applied pressures varied from 5 to 80 kPa. From the finite element solution, the gap remaining at the interface between the wafer and chuck was calculated by adding the calculated displacements to the initial coordinates of the bottom surface of the wafer.

5 Localized Wafer Shape Quantification

Localized wafer shape quantification is an emerging concept and has benefits in the monitoring and control of various semiconductor manufacturing processes. In this work, we have evaluated local curvatures of initial wafer shape and compared them to the calculated gap remaining at the interface. The local \( x \)- and \( y \)-curvature was computed at every pixel location on the wafer using the nearest neighborhood points. The local curvatures in the \( x \) and \( y \) directions were combined to obtain curvature in the radial direction. To transform pixel-level curvature values into meaningfully large length scales that are suitable for lithography and other applications, the full wafer curvature maps were divided into a grid of rectangular areas or sites. The dimensions of the sites (site-size) may be selected based on a specific process of interest. Local curvature metrics were then computed as peak-to-valley value, mean value, standard deviation value, and such within each site (10 \( \times \) 10 mm\(^2\)) square site was chosen for illustration in this paper). This curvature-based local shape metric may be classified under the category of local shape quantification metrics which include a scheme of other local shape metrics that have been developed recently at KLA-Tencor to monitor advanced semiconductor processes. The process dependent nature of the user-defined sites makes the metric easily adaptable to monitor and control other processes such as chemical mechanical polishing and rapid thermal processing.

In addition to curvature, the high-frequency components of the wafer may also be characterized in the nanotopography (NT) regime. The NT of wafer surface (front and/or back) is derived by applying a double Gaussian filter to the surface, which filters out long wavelength components while retaining the short wavelength components of the wafer surface (\( \lambda \leq 20 \) mm). Local-site NT quantified as peak-to-valley, mean, and standard deviation values within user-defined rectangular sites serve as additional metrics which may be effective at flagging local regions of the wafer that may sustain chucking problems.

6 Results and Discussion

6.1 Chucking a Wafer with Waviness in 1-D

Figure 2 shows the maximum amplitude that can be chucked as a function of spatial wavelength for a 775-\( \mu \)m thick Si wafer that is being clamped with 80 kPa of pressure. Included in Fig. 2 are the results of the analytical models described in Sec. 2 as well as the results of the 2-D finite element model described in Sec. 3. The finite element and analytical models agree reasonably well over the range of spatial wavelengths examined and show that there are two regimes—long wavelength and short wavelength—that depend on wavelength in different ways. The difference in the slope between the two regimes is due to a change in deformation mode; at wavelengths less than about twice the wafer thickness, the gap is accommodated by bulk deformation of the wafer, while at larger wavelengths the deformation is bending dominated. Most wafer shape features have spatial wavelengths longer than 1 mm, and thus, will be primarily accommodated by bending deformation during chucking. As the deformation is bending dominated, there is a strong dependence on wavelength and the maximum amplitude of the feature that can be chucked scales with the wavelength to the fourth power [see Fig. 2 and Eq. (9)]. As a result of this fourth-order dependence, small-wavelength (high-frequency) wafer geometry features are substantially more difficult to chuck. For example, the results in Fig. 2 show that for spatial wavelengths of 30 mm, a gap as large as 20 \( \mu \)m can be completely chucked, while at spatial wavelengths of 3 mm, the maximum gap that can be chucked is approximately 2.5 mm. Therefore, in order to identify wafers with potential chucking problems, it is essential that wafer metrology tools have the ability to characterize higher-order shape features.

To facilitate the use of the results in Fig. 2 for quick assessments of chuckability (the ability to chuck a wafer fully flat), an equation was fit to the finite element results shown. The form of the fit is based on the expressions derived in the analytical modeling in Sec. 2. The amplitude that can be chucked as a function of spatial wavelength, applied pressure, wafer thickness, and Young’s modulus is...
where the Poisson’s ratio is assumed to be 0.18. This fit covers the entire range of spatial wavelengths presented in Fig. 2 and describes both the bulk and bending deformation regimes. This expression can be used to approximately describe the magnitudes of shape features that are significant in chucking processes.

6.2 3-D Finite Element Simulations of Chucking Simulated Wafer Shapes

The 3-D finite element model was first used to assess the chucking of wafers with simple simulated shapes. Specifically, a 1-D sinusoidal variation was incorporated in the center of the wafer and the shape amplitude was tapered such that the wafer was nominally flat at the edge. This model allows for comparisons between the results of a simple strip with 1-D sinusoidal waviness discussed in Sec. 6.1 and the 3-D wafer model. Results are shown in Fig. 3 for a series of wafers with a fixed wavelength ($\lambda = 20$ mm) and pressure ($P = 80$ kPa) and varying amplitude. At the larger amplitudes of 10 and 5 $\mu$m, the gap remaining after chucking is significant, while the wafer chucks nearly completely when the amplitude is 2 $\mu$m. Equation (13), which describes the 1-D wavy results in Fig. 2, predicts the maximum amplitude that can be chucked of 4 $\mu$m; thus, the 3-D finite element results are generally consistent with the simple 2-D analysis. This suggests that the simple prediction of chucking amplitude from Eq. (13) can be used as a first-order estimate of whether or not a feature will chuck.

A second set of simulated wafer shapes is shown in Fig. 4. Both wafers in this set have a wafer-scale bow with an amplitude of tens of micrometers, as would be caused by a residually stressed film on one surface, as well as features at shorter spatial wavelengths that fall in the NT regime. Specifically, both wafers in Fig. 4 have a wafer-scale bow with amplitude of 40 $\mu$m, but have different NT: wafer (a) has a wavelength of 10 mm and amplitude of 50 nm, while wafer (b) has a wavelength of 10 mm and amplitude of 100 nm. Note that the NT features are not visible in the wafer shape maps (Fig. 4, left) as the amplitude of the wafer-scale variations is much larger than the NT. We see that wafer (a) chucks nearly completely (gap < 1 nm), while wafer (b) fails to chuck in multiple areas. The height of the NT features in the two cases is 100 nm or less, suggesting that high-resolution wafer geometry measurements are needed to capture such features. Also, as the NT features are at a spatial wavelength of 10 mm, the measurement tool would need to have a minimum spatial resolution of 5 mm (and preferably smaller) to detect such wafer geometry features.

6.3 3-D Finite Element Simulations of Chucking Real Wafers

Here, the 3-D finite element model was used to examine the chucking of example real wafers. The wafers, 300 mm in diameter, were measured on a KLA-Tencor PWG tool and were selected to represent several important cases. Wafer 1 has higher-order shape features near the edges. Wafer 2 is a typical wafer with a simple "bow" shape and moderate shape variations at shorter spatial wavelengths. Wafers 3 and 4 are wafers with local geometry features on the wafer back surface due to processing. This set of wafers represents several realistic cases of wafer geometry that could potentially impact chucking.

The free shapes of wafers 1 and 2 are shown in Fig. 5. Note the steep change in wafer shape at the edges of wafer 1, which is visible in the contour plot and 2-D profile.
To demonstrate the effect of clamping pressure, chucking of wafer 1 was simulated at several different pressures. The maximum gap between the wafer and chuck as a function of pressure is shown in Fig. 6. Clearly chucking pressure has a significant effect, with nearly a five-fold increase in the gap as the pressure is decreased from 80 to 5 kPa. It is significant that, for this wafer, complete chucking is not even achieved at 80 kPa, which is the pressure of a standard vacuum chuck. Furthermore, the large remaining gap at the interface at lower pressures (<15 kPa) suggests that this wafer would not be suitable for processing in EUV lithography systems that are expected to use electrostatic chucks with lower clamping pressures. In contrast, wafer 2 chucks completely at all pressures from 5 to 80 kPa. The fact that wafers 1 and 2 exhibit such different chucking behaviors even though the wafer-scale maps (Fig. 5) appear qualitatively similar demonstrates that simple inspection of wafer-scale shape is not suitable for making judgments on the chuckability of wafers. This same idea is observed in the simulated wafer results shown in Fig. 4. The difference in chucking between wafers 1 and 2, as well as the chucking mechanics discussed earlier in this paper, suggests that a local metric is needed to assess chuckability.

The need to consider local wafer geometry metrics is further reinforced by realizing that incomplete chucking is usually limited to relatively small areas on a wafer. Figure 7 shows the peak-to-valley (PV)-gap per site (10 × 10 mm² sites) for wafer 1 at clamping pressures of 5 and 80 kPa.
At both pressures, nearly complete chucking is achieved over the center portion of the wafers, and the regions with chucking problems are located near the wafer edges. As expected, the nonchucked regions and magnitudes of the gaps are larger in the lower-pressure, 5 kPa case. We also note that the region with the largest remaining gap is located in lower left corner of the wafer. As seen in Fig. 5, this region of the wafer also has a large local shape variation.

To examine a suitable local metric for chuckability, local chucking behavior was compared to various standard local wafer geometry metrics (e.g., site flatness). This analysis revealed that local curvature-based descriptors of the wafer geometry exhibit reasonable correlation with the locations of poor chucking. The correlation between local curvature (described in Sec. 5) and the remaining gap after chucking for wafer 1 at 80 kPa is shown in Fig. 8. This correlation was performed on a site-by-site basis where curvature and gap are calculated at each $10 \times 10$ mm site on the wafer. A large number of sites across the wafer chuck completely; thus, sites with a remaining gap of less than 2 nm (shown in Fig. 8 in red) were excluded from the correlation calculation. For both the 5 and 80 kPa cases, there is a clear positive correlation between the remaining gap and site curvature. The correlation is not perfect, but it is clear that higher local curvature is associated with a larger remaining gap after chucking. The connection between curvature and poor chucking is expected based on the analysis in Sec. 2. For the ideal surface considered, the curvature is proportional to $A/\lambda^2$ (obtained by taking the second derivative of Eq. (1)); thus, curvature increases with increasing amplitude and decreasing spatial wavelength. As seen in Eqs. (8) and (10), the pressure required to fully chuck a wafer scales with $A/\lambda^4$ and $A/\lambda$ in the long and short wavelength regimes, respectively. Thus, the pressure required to chuck would increase as curvature increases. While the curvature and required chucking pressure do not both scale with amplitude and wavelength in the same manner, one must remember that the wafer geometry assumed in the analytical model is highly simplified, and changes to the assumed geometry will lead to different dependencies on amplitude and wavelength.

The final wafers examined, wafers 3 and 4, have local geometry features on the backside of the wafers that are a result of multiple wafer processing steps. The overall shapes of the wafers are shown in Fig. 9(a) and 9(d). Figure 9(b) and 9(e) show the local curvature for specific regions of the two wafer. The wafer shown in Fig. 6 is wafer 1, and the gap decreases with increasing clamping pressure, but the wafer fails to chuck completely, even at 80 kPa.
wafer. The chucking of these wafers were simulated using 3-D finite element analysis and the remaining gap for the same regions of the wafers shown in Fig. 9(b) and 9(e) are shown in Fig. 9(c) and 9(f). In general, reasonable correlation is observed between the geometry features seen in the curvature map and the gap remaining after chucking. Figure 9(g) and 9(h) show the correlation between curvature and remaining gap for wafers 3 and 4. In a previous study, it was experimentally verified that local backside features of magnitude 16 nm interact with lithography scanner chuck to result in a defocus of 20 nm. From the current study, it is clear that wafer backside features interact with chuck to cause contact gaps that may manifest as defocus on the wafer frontside. These example wafers, again, demonstrate that short wavelength features that are not visible in wafer-scale shape maps are crucial in chucking processes.

Fig. 9 Examples of two real process wafers, wafers 3 and 4, that have local backside wafer geometry features. (a)–(c) and (g) are for wafer 3. (d)–(f) and (h) are for wafer 4. (a) and (d) Shape maps of entire 300-mm wafers; this geometry was imported into the finite element simulations. (b) and (e) Curvature maps of a local region on the wafer (30 × 30 mm region for wafer 3 and 50 × 50 mm region for wafer 4). Curvature was calculated as described in Sec. 5. (c) and (f) Finite element predictions of the gap remaining after chucking at 80 kPa over same regions of the wafers. (g) and (h) Correlation plots showing relationship between curvature and remaining gap for wafers 3 and 4.
7 Conclusions
In this paper, we have established the essential mechanics of semiconductor wafer chucking. Analytical models that predict the maximum amplitude that can be chucked as a function of spatial wavelength and clamping pressure have been established, and can be used to identify wafers that may pose problems in chucking for lithographic processes. Key findings from the analytical and finite element models presented are that the spatial wavelength of the features is crucial in determining chucking performance, and that features with shorter spatial wavelengths (≤20 mm) are substantially more difficult to chuck and most likely to lead to incomplete chucking. Finite element simulations of a number of simulated and measured wafer geometries demonstrate the importance of short wavelength features. Such short wavelength features may be identified through filtering or calculation of local curvature-based metrics. The importance of short-wavelength geometry features means that high-resolution (in-plane and out-of-plane) wafer geometry measurements are crucial for identifying wafers with regions that may not chuck completely (z-resolution of a several nanometers and lateral resolution of hundreds of microns are needed).

References

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