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Abstract. The recent advances in emission and detection of terahertz radiation using two-dimensional (2-D) plasmons in semiconductor nanoheterostructures for nondestructive evaluations are reviewed. The 2-D plasmon resonance is introduced as the operation principle for broadband emission and detection of terahertz radiation. The device structure is based on a high-electron-mobility transistor and incorporates the authors' original asymmetrically interdigitated dual-grating gates. Excellent THz emission and detection performances are experimentally demonstrated by using InAlAs/InGaAs/InP and/or InGaP/InGaAs/GaAs heterostructure material systems. Their applications to nondestructive material evaluation based on THz imaging are also presented. © The Authors. Published by SPIE under a Creative Commons Attribution 3.0 Unported License. Distribution or reproduction of this work in whole or in part requires full attribution of the original publication, including its DOI. [DOI: [10.1117/1.OE.53.3.031206](https://doi.org/10.1117/1.OE.53.3.031206)]

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1 Introduction

In the research of modern terahertz (THz) electronics, development of compact, tunable, and coherent sources operating at THz frequencies is one of the hottest issues.¹ Two-dimensional (2-D) plasmons in submicron transistors have attracted much attention due to their nature of promoting emission and detection of electromagnetic radiation in the THz range. The channel of a transistor can act as a resonator for plasma waves, the charge-density waves of collectively excited 2-D electrons. The plasma frequency depends on the resonator dimensions and the density of 2-D electrons. It can reach the sub-THz or even THz range for gate lengths of a micron and submicron (nanometer) size. Therefore, different devices/structures of micron and submicron sizes supporting low-dimensional plasmons were intensively studied as possible candidates for solid-state far-infrared (FIR)/THz sources^{2–18} and detectors.^{19–30} Mechanisms of plasma wave excitation/emission can be divided (by convention) into two types: (1) incoherent and (2) coherent. The first is related to thermal excitation of broadband nonresonant plasmons by hot electrons.^{2–7} The second is related to the plasma wave instability mechanisms like Dyakonov–Shur (DS) Doppler-shift model⁸ and/or Ryzhii–Satou–Shur (RSS) transit-time model,^{17,18} where coherent plasmons can be excited either by hot electrons or by optical phonon emission under near ballistic electron motion.³¹ On the other hand, hydrodynamic nonlinearities of 2-D plasmons in high-electron-mobility transistors (HEMTs) are promising for fast and sensitive rectification/detection of THz radiation.¹⁹ When an incoming THz radiation excites the plasma waves, the local carrier density as well as the local carrier

drift velocity is modulated by the radiation frequency. This results in generation of the quadratic current term proportional to the product of the modulated components of the local carrier densities and velocities. The time average of this component is nonzero, leading to rectification. With an asymmetric boundary condition, a rectified component gives rise to a photovoltaic effect. Recently, plasma wave properties were successfully used for the resonant and non-resonant (broadband) sub-THz and THz detection.^{20–30} They can be applied to real-time THz imaging/spectroscopic analysis as well as future THz wireless communications.¹

We have first proposed a 2-D plasmon-resonant microchip emitter featured with an interdigitated dual-grating gates (DGGs) structure.^{32–35} The original structure uses symmetrical DGGs in which interfingering spaces are all identical, providing room-temperature 0.5- to 6.5-THz emission with 1-microwatt-order radiation power^{33,34} and rather low detection responsivity of the order of 10's V/W.³⁵ Recently, authors have proposed an asymmetric DGG (A-DGG) structure and demonstrated coherent monochromatic THz emission and ultrahigh-sensitive THz detection with 2.2 kV/W at 1 THz radiation.^{36–39} This paper reviews recent advances in emission and detection of THz radiation using 2-D plasmons in semiconductor nanoheterostructures for nondestructive evaluations. The 2-D plasmon resonance is first presented as the operation principle to demonstrate its potential of broadband intense emission and sensitive detection of THz radiation. Second, the device structure that can provide practical emission and detection performances are addressed, which is based on a HEMT and incorporates the authors' original asymmetrically interdigitated DGGs. Numerical analysis

reveals that in comparison with conventional symmetric DGG (S-DGG) structure, the A-DGG can substantially improve the detection sensitivity as well as the instability (emissivity) by three to four orders of magnitude. Third, excellent THz emission and detection performances including coherent, monochromatic emission beyond 1-THz range³⁹ and an extremely high detection responsivity of 6.4 kV/W at 1 THz at 300 K (Ref. 40) are experimentally demonstrated by using InAlAs/InGaAs/InP heterostructure material systems. Finally, their applications to nondestructive material evaluation based on THz imaging are demonstrated.

2 THz Emission Using 2-D Plasmons in HEMTs

2.1 Theory

In a simple case, the 2-D plasma wave motions can be described by the hydrodynamic Euler equation and the continuity equation.⁸

$$m \left(\frac{\partial \mathbf{u}}{\partial t} + \mathbf{u} \frac{\partial \mathbf{u}}{\partial \mathbf{r}} \right) = -e \frac{\partial V}{\partial \mathbf{r}} - \frac{\mathbf{u}}{m\tau}, \quad (1)$$

$$\frac{\partial n}{\partial t} + \frac{\partial}{\partial \mathbf{r}} (n\mathbf{u}) = 0, \quad (2)$$

where m is the electron effective mass, $\mathbf{r}$ is an arbitrary in-plane vector, $\mathbf{u}(\mathbf{r}, t)$ is the in-plane electron spatiotemporal local velocity, τ is the electron momentum relaxation time, $V(\mathbf{r}, t)$ is the local potential at $\mathbf{r}$, and $n(\mathbf{r}, t)$ is the spatiotemporal local density of electrons. The first term of the right-hand in Eq. (1) is the Coulomb force and the second term is the Drude friction. 2-D electron channels in HEMTs consisting of gated and ungated regions as shown in Fig. 1. The ungated 2-D plasmon receives the in-plane longitudinal Coulomb force so that it holds a square-root dispersion relation, which is identical to that for general surface plasmons. The gated 2-D plasmon receives transverse Coulomb force via gate capacitor, which is far stronger than the in-plane

force due to the geometrical situation so that it holds a linear dispersion. In a simple case of gradual-channel approximation with infinite channel width (perpendicular to the source-drain direction), the 2-D plasma wave dynamics can be reduced to one-dimensional systems.⁸ The plasma wave phase velocity s is given by $s = \sqrt{eV_0/m}$, where V_0 is the gate swing voltage.¹⁹ Assuming $V_0 = O[1 \text{ V}]$ and $m = O[0.1 m_0]$ (m_0 is the electron rest mass in vacuum) for InP-based heterostructure HEMTs, s becomes $O[1 \times 10^6 \text{ m/s}]$, which is at least two orders of magnitude higher than the electron drift velocity of any compound semiconductors with superior transport properties. Thus, when we consider a sub-micrometer gate-length HEMT, the fundamental mode of gated 2-D plasmons stays at a frequency in the THz range. This is the main advantage for use in plasmon-resonant modes that can operate in the frequencies far beyond the transit frequency limit of transistors.

When a single-gate HEMT is situated in source-terminated and drain-opened configuration with dc potential at the drain terminal with respect to the source terminal, the drain end of the channel becomes depleted so that the drain-side impedance is mainly given by the depletion capacitance and takes a high value at high frequencies. In such a case, a Doppler-shift effect occurs on the plasma wave propagation/reflection at the drain boundary, promoting the DS instability.⁸ Consider the case in which a plasma wave is excited in an HEMT with a constant dc drain bias causing a background constant dc electron drift flow with velocity v_d and the gate length L is shorter than the coherent length of electrons. The plasma wave-originated local displacement current δj_p is given by the product of the perturbation of the local electron charge density $e\delta n$ and the plasma wave velocity. The forward (backward) component $\delta \rightarrow j_p$ ($\delta \leftarrow j_p$) traveling to (from) the drain boundary is given by $\delta \rightarrow j_p = e\delta \rightarrow n \cdot (s + v_d)$, $\delta \leftarrow j_p = e\delta \leftarrow n \cdot (s - v_d)$. Since the open-drain boundary conserves the current before and after the reflection, $|\delta \rightarrow j_p| = |\delta \leftarrow j_p|$, $\delta \leftarrow n = \frac{s+v_d}{s-v_d} \cdot \delta \rightarrow n > \delta \rightarrow n$. This increment of the electron charge density $\delta n = (\delta \leftarrow n - \delta \rightarrow n)$ directly reflects the increment of the gate potential δV_g via gate capacitor C : $\delta V_g = e\delta n \cdot C$. Since the source-terminated boundary gives a lossless reflection (reflection coefficient is -1), the gate potential becomes infinite after infinitesimal repetitions of plasma wave reflections, leading to the DS instability. When the plasma wave is excited by the incoming THz radiation with angular frequency ω , $e^{-i\omega t}$, the effect of the instability is characterized by the imaginary part of ω , ω'' , as

$$\omega'' = \frac{s^2 - v_d^2}{Ls} \ln \left| \frac{s + v_d}{s - v_d} \right|. \quad (3)$$

When $\omega'' > 0$, the system becomes unstable, giving rise to the condition of the DS instability. The plasma wave increment in units of $s/2L$, a dimensionless plasma wave increment $2\omega''L/s$ is plotted as a function of the Mach number s/v_d .⁸ In reality, with finite τ value, the Drude loss factor should be considered to obtain an overall gain, which is shown as a threshold level in Fig. 1. So far DS-instability-driven voltage-tunable millimeter-wave to THz-wave emission has been observed at low and room temperatures from GaAs-, InP-, and GaN-based HEMTs.⁹⁻¹²

Fig. 1 DS type plasma-wave instability in a two-dimensional (2-D) electron channel under source-terminated and drain-opened boundaries with dc drift velocity v_d .⁸ The reciprocal Doppler-shifting plasma waves reflecting at an asymmetric drain-opened boundary promote the increments of their intensity leading to self-oscillation of instability. The plasma-wave increment is a dimensionless parameter, in which the imaginary part of angular frequency is normalized to the fundamental resonant frequency. The positive values of the increment give rise to instability in an idealistic lossless case. In reality, with finite τ value, the Drude loss factor should consider to obtain an overall gain, which is shown as a threshold level.

When the channel pinch-off is insufficient and the drain terminal is not open but yet conductive at THz frequencies, the plasma waves are effectively absorbed in the high-field gate-drain region. Hence their reflection is insufficient to promote necessary positive feedback for the occurrence of the DS instability. At large drain-source voltages, the THz conductivity of this region would be rather high due to the relatively high value of the electron drift velocity v_{gd} in the high-field gate-drain region. In this case, v_{gd} becomes much higher than that in the intrinsic channel region v_d . Note that the electrons propagating in the high-field gate-drain region induce the ac current in the gated channel and the drain contact. One can find that the electron ac concentration as a function of the coordinate varies as $n_{\omega}(x) = n_{\omega}|_{x=L_g} e^{-i\omega(x-L_g)/v_{gd}}$.^{17,18} As a result, the ac current induced in the gated channel is presented. Its frequency dependence is directly reflected by the electron transit time τ_{dd} at the gate-drain region $\tau_{gd} = L_d/v_{gd}$, where L_d is the length of the gate-drain region, which may contribute to promote the plasma wave instability.¹⁷ In this case, the instability condition is given by the following inequality using the imaginary part of the plasma wave current:

$$\text{Im}(\omega) = \omega'' \simeq -\frac{\nu}{2} + \gamma_{DS} + \gamma_{RSS} > 0, \quad (4)$$

$$\gamma_{DS} \simeq \frac{v_d}{L_g}, \quad (5)$$

$$\gamma_{RSS} \simeq -\frac{v_{gd}}{L_g} r \cos(\omega_n \tau_{gd}/2) J_0(\omega_n \tau_{gd}/2), \quad (6)$$

where ν is the electron collision frequency, r is a phenomenological parameter ($r \leq 1$), J_0 is the zeroth Bessel function, and $n = 1, 2, 3, \dots$ is the plasmon mode index.¹⁷ Here, γ_{DS} and γ_{RSS} are the DS-instability index and the transit-time-driven RSS-instability index, respectively. γ_{RSS} can take both positive and negative values depending on $\omega_n \tau_{gd}$. The contributions to the plasma wave instability growth rate of the DS and RSS mechanism ($\gamma_{DS}/2\pi$ and $\gamma_{RSS}/2\pi$) in an HEMT with typical geometric and material parameters are plotted in Fig. 2 as functions of the fundamental plasmon mode frequency.¹⁷ Due to the nature of

transit-time-driven mechanism, the RSS instability is sensitive to the plasmon mode frequency.

The 2-D plasmon itself is a nonradiative mode so that a metal-wired grating coupler structure is frequently utilized to yield THz electromagnetic-wave emission.²⁻⁷ If the single gate is replaced with a grating-finger-type gate, a plural number of plasmonic cavities (whose electron density is modulated by the bias voltage of the grating-finger gate) are electrostatically coupled (via interfinger region with less electron density) in a spatially distributed configuration. In this case, a constant dc channel current, which is generated by the applied dc drain bias, gives rise to periodic electron velocity modulation over the channel. This may also promote the RSS instability.¹⁸

In particular, the DGG structure provides an improved confinement of the 2-D electrons into the plasmon cavities independent of the tuned gate biases, resulting in more intense resonant plasma excitation with higher quality factors [see Fig. 3(a)].³²⁻³⁴ The DGGs can alternately modulate the 2-D electron densities to periodically distribute the plasmonic cavities (~ 100 nm width in microns distance) along the channel by applying a large fraction of gate biases for subgratings G1 and G2.³²⁻³⁴ Under pertinent drain-source dc bias conditions, dc electron drift flows may promote the plasmon instability, resulting in self-oscillation with characteristic frequencies in the THz regime. Figure 3(b) depicts the potential distribution and equivalent circuit model for the RSS instability under a constant dc-drain bias condition. The 2-D electron channel consists of a periodic series of highly confined 2-D plasmon cavity sections underneath the gate finger G1 and a depleted section underneath the gate finger G2.

According to the aforementioned RSS instability mechanism, the depleted barrier section works for the negative conductance gain section, whereas the highly confined section works for the plasmonic resonator modeled by an $L - C - R$ circuitry as shown in Fig. 3(b).³⁸ The model accounts for the features of the electron transport across the device structure with the 2D-electron stripes (2DESs) that are formed underneath one grating gate fingers separated by the depleted barrier regions and the possibility of the plasma oscillations in the 2DESs electrically coupled via the barrier regions. We demonstrated that, due to the negative dynamic conductance of the barrier regions associated with the electron transit-time effects, the plasma instability leading to the self-excitation of

Fig. 2 Contributions to the plasma-wave instability growth rate of the DS and RSS mechanism ($\gamma_{DS}/2\pi$ and $\gamma_{RSS}/2\pi$) in a high-electron-mobility transistor (HEMT) with typical geometric and material parameters as functions of the fundamental plasmon mode frequency.¹⁷ Due to the nature of transit-time-driven mechanism, the RSS instability is sensitive to the plasmon mode frequency.

Fig. 3 Dual-grating gate (DGG)-HEMT-type terahertz (THz) emitter with a vertical cavity. (a) Structure. (b) Band diagram and equivalent circuit.

the plasma oscillations (and the emission of THz radiation) becomes feasible when the dc current exceeds a certain threshold value.³³

2.2 Experiments

We have proposed our original DGG-HEMT-type 2-D plasmon-resonant microchip emitter as a new THz light source.^{32–34,39} The original structure is a S-DGG in which interfinger spaces are all identical. The device was fabricated using InGaP/InGaAs/GaAs and/or InAl/InGaAs/InP material systems.^{33,34} So far a broadband THz emission ranging from 1 to ~6 THz with a maximum output power of ~1 μ W at 300 K has been obtained reflecting multimode of coherent/incoherent plasmons,⁴¹ for which oblique modes,⁴² gated and ungated plasmon modes,⁴³ hot plasmons,⁴¹ and chirped plasmon modes³³ are the major causes. The DGG-HEMT THz emitter can work for THz spectroscopic and imaging applications as an incoherent broadband THz microchip source, demonstrating fine identification of water vapor absorptions as well as finger prints of sugar groups.³⁴

In order to realize coherent monochromatic THz emission, we introduced our original A-DGG structure [Figs. 4(a) and 4(b)].³⁶ In the A-DGG structure, the DGG is implemented with asymmetric interfinger spaces. THz electric field distribution and resultant photoresponse were numerically simulated using a self-consistent electromagnetic approach combined with the perturbation theory for the hydrodynamic equations for 2-D plasmons in HEMTs under periodic electron density modulation conditions [Figs. 4(c) and 4(d)].^{36,39} Figure 4(c) shows giant enhancement of the responsiveness (by four orders of magnitude) in an A-DGG HEMT under drain-unbiased conditions with respect to that for a S-DGG HEMT for a dc drain bias current density of 0.1 A/m. When the A-DGG HEMT is dc-drain biased, the asymmetry of the plasmonic cavity is enhanced enormously, resulting in further enhancement of the responsiveness by orders of magnitude. It is reasonable to suggest that a similar enhancement should also be exhibited for the plasmon instability in the A-DGG HEMT. A chirped DGG structure was also introduced so as to uniform the plasmon frequencies over the entire DGG area under a specific drain-source bias V_{ds} condition. These two features are combined to serve an asymmetric chirped DGG (AC-DGG) structure. Moreover, a high-Q vertical photonic cavity structure is installed to stimulate the resonant-enhanced coherent plasmon excitation.^{32,39}

AC-DGG HEMTs were designed and fabricated using InAlAs/InGaAs/InP materials [see Fig. 4(b)]. Two grating gates G1 and G2 were formed with 70-nm-thick Ti/Au/Ti by a standard lift-off process. An asymmetric factor, the ratio of the interfinger spaces, d_1/d_2 , was fixed to be 0.5. The grating gates G1 with narrower fingers L_{g1} , serving plasmon cavity gates, were designed to be chirped ranging from 215 to 430 nm. The design parameters are summarized in Table 1. After processing the AC-DGG HEMT, a high-Q vertical cavity with a high finesse of ~60 was formed with a 4.4- μ m-thick transparent PW1500 resist as a low-loss buffer layer and a 70-nm-thick indium tin oxide (ITO) mirror coat on top and a 100-nm Ti/Au coat on the polished back surface [see Fig. 4(b)]. Its fundamental resonant frequency (free spectral range of the Fabry-Perot modes) was designed to be 65 GHz.

The fabricated HEMTs exhibit normal dc transfer characteristics with good pinch-off and gate modulations for both G1 and G2 with threshold levels of -1.1 and -0.9 V, respectively. We conducted THz spectroscopic measurements for the fabricated devices using a Fourier-transform far-infrared (FTIR) spectrometer and a 4.2-K-cooled Si composite bolometer. The gate bias for the plasmon cavities V_{g1} was fixed at 0 V. Material- and structure-dependent emission spectra at 290 K are plotted in Fig. 5(a) in comparison with previously reported GaAs-based and InP-based S-DGG HEMTs.³⁹ The drain bias was set so as to equal the voltage drop along a unit DGG section among all the devices. All three S-DGG HEMTs SG1, SG2, and SP1 exhibit weak Fabry-Perot-modes emission and intense broadband emission as a background originated from the thermal excitation of broadband nonresonant plasmons by hot electrons.^{2–7} On the contrary, superiorities of the A-DGG structure and InP-based materials with higher electron mobility [$\sim 11,000$ cm²/(Vs)] result in intense Fabry-Perot-modes emission and weakened background emission. The identification of the plasmon modes in the emission spectra is based on (1) designed structure dimensions and material properties that determine the mode frequencies, and (2) dependence of the spectral peak intensity on V_{ds} . If the frequency of a spike in the emission spectrum corresponds to a plasmon resonant mode, its peak intensity will increase with increasing V_{ds} , thus promoting the instability. 2-D electron density distribution is modulated by V_{ds} ; the plasmon mode frequencies become slightly lower with increasing V_{ds} . This mode-frequency shift might mask the increase in peak intensity if the mode frequency is detuned from the Fabry-Perot mode. The fundamental plasmon mode of the device ACPI has a frequency of ~1.2 THz.

Fig. 4 (a) Schematic view of an asymmetric DGG (A-DGG) HEMT THz emitter. (b) Cross-sectional and top SEM images for a fabricated asymmetric chirped DGG (AC-DGG) HEMT with a resonant-enhanced vertical cavity structure. $L_{g1} = 215$ to 430 nm, $L_{g2} = 1.6 \mu\text{m}$, $d_1 = 200$ nm, $d_2 = 400$ nm. (c) Simulated THz electric field distribution underneath a unit A-DGG cell. Red squares show the asymmetric areas. $L_{g1} = 250$ nm, $L_{g2} = 1.0 \mu\text{m}$, $d_1 + d_2 = 750$ nm, $W = 2.0 \mu\text{m}$. Electron density under the gate G1 and G2 are $2.5 \times 10^{12} \text{ cm}^{-2}$ and $2.5 \times 10^{11} \text{ cm}^{-2}$, respectively. High electric field concentration with the fundamental plasma frequency of 1 THz under G1 can be confirmed. (d) Simulated responsivity enhancement factor for an A-DGG HEMT under drain-unbiased conditions as a function of the asymmetry factor d_1/d_2 with respect to that for a S-DGG HEMT for a dc drain bias current density of 0.1 A/m (after Ref. 39).

Table 1 Design parameters of fabricated devices.

Sample #	SG1	SG2	SP1	ACP1
Materials	InGaP/In _{0.2} GaAs/GaAs		InAlAs/InGaAs _x /InP ^a	
DGG type ^b	S-DGG		AC-DGG	
Cavity ^c	Lo Q	High Q	Lo Q	High Q
FSR	145 GHz	65 GHz	65 GHz	65 GHz
L_{g1} (nm)	100	100	100	215–430
d_1/d_2 (nm)	100/100		200/400	
L_{g2} (nm)	1800	850	800	1600
# of fingers G1/G2	37/38	30/31	30/31	8/9
Active area (μm^2)	75×75	30×75	30×75	20×20
Ref.	[33–34]	–	[33]	[39–44]

^a $x = 0.53/0.7/0.53$ (composite channel)

^bS: Symmetric, AC: Asymmetric and chirped

^cLo Q: Au mirror coat on back surface only

From the observed emission spectra, the first, third, and fifth modes could be identified as designated with arrows in Figs. 5(b) and 5(c). The highest peak intensity is observed at ~ 6.2 THz with a sharp linewidth of ~ 1.23 cm $^{-1}$ (~ 37 GHz) corresponding to the fifth plasmon mode. Figure 5(b) plots the dependence of the emission spectra on V_{ds} under an optimal V_{g2} condition ($V_{g2} = -0.55$ V).^{39,44} When V_{ds} decreases from 1.0 to 0.4 V, both DS and RSS instabilities are weakened so that the stimulated coherent emission is suppressed. This may increase the hot plasmon-originated spontaneous broadband emission and thus the monochromaticity on emission spectra is degraded. When the temperature cools down to 190 K, hot plasmons-originated residual spurious modes are suppressed, resulting in intense monochromatic emission at the first (at 1.2 THz) and third (at 3.6 THz) plasmon modes whose frequencies match to adjacent Fabry-Perot modes, respectively, as shown in Fig. 5(b). The emission peak at the fifth (at 6.1 THz) plasmon mode disappears, which is considered to be caused by the temperature dependence of the 2-D electron density in the plasmon cavities reflecting frequency detuning of the plasmon modes. Simulated time evolution of the instantaneous electric field (E_x) distributions under a constant sinusoidal plasmon excitation at 3.6 THz assures the cooperative oscillation of all the plasmon cavities underneath the subgrating finger G1 as shown in Fig. 5(c), supporting the superradiant THz

emission. The output power of sample ACP1 is estimated to be of the order of 0.1 to 1 μ W.

3 THz Detection Using 2-D Plasmons in HEMTs

3.1 Theory

Detection of THz radiation by plasmonic nonlinearities in a 2-D electron channel of a field-effect transistor (FET) was originally proposed by Dyakonov and Shur.¹⁹ Resonant (frequency selective)^{20,21,24–26} as well as nonresonant (broadband)^{22,23,26} plasmonic detectors have been studied. The frequencies of the plasmon resonances in the FET channel with asymmetric boundary conditions are given by¹⁹

$$\omega_p = n \frac{\pi}{2L_{g-eff}} \sqrt{\frac{e^2 N^{(0)} d}{m^* \epsilon \epsilon_0}}, \quad eN^{(0)} = \epsilon \epsilon_0 \frac{V_g - V_{th}}{d}, \quad (7)$$

where $N^{(0)}$ is the equilibrium electron density in the channel, d and ϵ are the thickness and relative dielectric constant of the barrier layer, ϵ_0 is the dielectric constant in vacuum, L_{g-eff} is the effective length of the gated 2-D electron channel (which is greater than a geometrical length of the gate, L_g , due to the electric-field fringing effect), n is an integer, e and m^* are the electron charge and electron effective mass, respectively, V_g is the gate-to-source dc bias voltage, and V_{th}

Fig. 5 (a) Measured emission spectra at 290 K for different material systems and DGG structures (after Ref. 39). (b) Measured emission spectra at different biases at 290 K (upper) and at different temperatures at optimal bias conditions ($V_{ds} = 2$ V, $V_{g1} = 0$ V, $V_{g2} = -0.5$ V) (lower) of sample ACP1 (InP-based AC-DGG HEMT). Arrows designate the first, third, and fifth plasmon modes. Inset magnifies the spectral portions of the third and fifth mode (after Ref. 44). (c) Cross-sectional view of a simulated instantaneous electric field (E_x) distributions under a constant sinusoidal plasmon excitation at 3.6 THz. All the plasmon cavities are cooperatively resonated in phase so that the uniform transverse radiation over the entire DGG area.

is the threshold voltage of the FET. For an asymmetric boundary condition, only the plasmon modes with odd indices n can be excited by the THz radiation normal to the FET-channel plane having the electric field component parallel to the channel direction, whereas the plasmon modes with even indices n remain dark. Resonant detection takes place at THz frequencies $\omega = \omega_p$ for high-quality factors of the plasmon resonance such as $\omega_p \tau > 1$, where τ is the electron momentum relaxation time. The nonresonant plasmonic detection takes place when the relaxation time is low (low mobility case) or equilibrium electron density in the FET channel decreases so that the inequality becomes valid for $V_g \rightarrow V_{th}$.

The hydrodynamic motion of the plasma wave kinetics yields a nonlinear plasma wave current component as the product of the local electron density and local electron velocity, both of which are perturbed by incoming THz radiation, giving rise to a quadratic rectification component in the current time-integral as shown in Fig. 6. This is the fundamental principle of the THz detection using the plasma wave dynamics.^{19,22} In the open circuit condition, the generated (rectified) photocurrent is transformed to a dc voltage component leading to photovoltaic signal ∂U . By solving Eqs. (1) and (2) under pertinent source-terminated and drain-opened boundary conditions, ∂U is derived as follows:¹⁹

$$\left. \begin{aligned} \partial U &\simeq \frac{U_a^2}{4U_0} \frac{\omega_0^2}{(\omega^2 - \omega_0^2) + \left(\frac{\nu_d}{2\tau}\right)^2} \\ &\simeq \frac{U_a^2}{U_0^2} \left(\frac{s\tau}{L}\right)^2 \frac{1}{4(\omega - n\omega_0)^2 \tau^2 + 1}, \quad \text{for } \omega\tau \gg 1 \text{ (resonant mode)} \\ &\simeq 1 + \frac{2\omega\tau}{\sqrt{1 + \omega^2 \tau^2}}, \quad \text{for } \omega\tau \ll 1 \text{ (non-resonant mode)} \end{aligned} \right\} \quad (8)$$

where s is the plasma wave velocity, ω_0 is the fundamental plasmon resonant frequency, n is the harmonic number, τ is the electron momentum relaxation time, U_a is the voltage amplitude of the incident THz wave, and U_0 is the dc gate-to-channel potential.

As is mentioned in Sec. 2.2, we propose an A-DGG structure as shown in Fig. 4, which also provides ultrahigh-sensitive THz detection.³⁷⁻⁴⁰ This is because the unit cell of the A-DGG structure can create a strong built-in asymmetric field. The THz photoresponse dramatically increases when the parts of the 2-D channel under the fingers of one of the two subgratings are depleted.

The A-DGG structure can greatly enhance the asymmetry of the cavity boundaries by applying different gate voltages V_{g1} and V_{g2} to the two different subgratings of the A-DGG. Due to the asymmetry, the impedances at both ends from the 2-D plasmon cavity are different. Thus, the photocurrent generated in 2-D plasmon by the THz radiation performs unilateral transport, resulting in high photovoltaic signal

Fig. 6 Principle of rectification and detection of THz radiation by means of hydrodynamic nonlinearity of 2-D plasmons.

at each cell. These signals at every 2-D plasmon cavities are summed up, leading to an effective photovoltaic signal between the drain and source.³⁷

3.2 Experiments

The device under characterization is identical to the InAlAs/InGaAs/InP A-DGG HEMTs shown in Fig. 4 except for the lack of a vertical cavity [seen in the lower right panel of Fig. 4(b)]. The A-DGG HEMTs have been designed and fabricated using InAlAs/InGaAs/InP material system.³⁷ The geometrical parameters of the A-DGG HEMTs are summarized in Table 2. Room temperature THz photovoltaic measurements were conducted with fabricated devices. The devices exhibit normal gate modulation operation on their drain-source current-voltage characteristics.³⁷ For G1 and G2, the threshold voltage V_{th1} and V_{th2} are -1.2 and -1.0 V, respectively.

We conducted room temperature THz photovoltaic measurements with the fabricated detectors. Monochromatic THz pulsed waves with frequencies from 1 to 3 THz from a ring-cavity THz parametric oscillator source are focused on the detector by a Tsurupica™ lens.³⁷⁻⁴⁰ The photovoltaic signal was observed as a V_{ds} fluctuation with a lock-in technique. The responsivity was estimated as $R_v = \Delta U S_t / P_t S_d$, where ΔU is the THz-radiation-induced dc drain voltage, P_t is the total power of the source on the detector plane, S_t is the radiation beam spot area, and S_d is the active area of the detector. Figure 7(a) shows the measured responsivity of detector # 2-4 at 1 THz under zero- V_{ds} condition as a function of gate voltage swing ($V_{g1,2} - V_{th}$); dc voltage of G1: V_{g1} (G2: V_{g2}) is swept, while V_{g2} (V_{g1}) is floated (biased at 0 V).³⁷ The best result with $R_v = 2.2$ kV/W was obtained when sweeping V_{g1} to the threshold V_{th} .^{37,38} It should be noted that even at higher frequencies, relatively high responses are obtained with detectors # 2-3 having a shorter L_{g1} . As seen in the inset of Fig. 7(a), the responsiveness monotonically decreases from 1.7 kV/W at 1 THz to 0.52 kV/W at 2 THz. All these values are, to the best of the authors' knowledge, the best ever reported at these frequencies. Figure 7(b) shows the measured responsiveness of detector # 2-3 at 1.5 THz under V_{ds} -biased conditions. On increasing V_{ds} from 0 to 0.4 V, the maximum

Table 2 Design parameters of fabricated A-DGG HEMTs.

Sample #	1-1	2-3	2-4
Materials	InAlAs/InGaAs _x /InP ^a		
DGG type ^b	AC-DGG		
L_{g1} (nm)	200	215-430	400-705
d_1/d_2 (nm)	200/400	200/400	400/800
# of fingers G1/G2	8/9	8/9	6/7
Ref.	[40]	[37-39]	[37-39]

^a $x = 0.53/0.7/0.53$ (composite channel)

^bAC: Asymmetric and chirpad

Note: L_{g2} and active area are fixed to be 1600 nm and $20 \times 20 \mu\text{m}^2$

Fig. 7 (a) Responsivity of detector # 2-4 as a function of the gate swing voltage ($V_{g1} - V_{th1}$ or $V_{g2} - V_{th2}$) at 1 THz under drain-unbiased condition. Inset shows responsivities of detector # 2-3 at 1, 1.5, and 2 THz as a function of the gate swing voltage $V_{g2} - V_{th2}$ when G1 is floated. The responsivities become higher with lowering the gate voltages (taking the maximum at the threshold) (after Ref. 37). (b) Responsivity of detector # 1-1 as a function of the gate swing voltage at 1.5 THz radiation under drain-biased conditions (after Ref. 40).

responsiveness increases to 6.4 kV/W, which is, to the best of the authors' knowledge, the record responsiveness of fast-response detectors at 300 K.⁴⁰ The photovoltaic signal increases on decreasing the gate bias and takes a peak value when the gate bias is approaching the threshold level for all the photoresponses. It is expected to turn down and drop when the gate bias decreases to the subthreshold region as was measured for S-DGG HEMTs³⁵ as well as standard single-gate HEMTs.²² Very recently, a physical model that explains this photoresponse dependence on gate bias has been developed.⁴⁵

Figure 8 shows noise equivalent power (NEP) for detectors (a) # 2-4 and (b) # 2-3, as a function of $V_{g1,2}$ under drain-unbiased condition.³⁷ The detector # 2-3 exhibits extremely low NEP with the minimal value 15 pW/Hz^{0.5} at 1 THz. These values are lower than those of commercial room temperature THz detectors such as Golay cells (200 pW/Hz^{0.5}) (Ref. 46) or Schottky barrier diodes (100 pW/Hz^{0.5}).³⁶ The NEP value is proportional to the square root of the drain resistance $R_d^{0.5}$ and the inverse responsivity R_v^{-1} . On decreasing the gate swing voltage ($V_{g1,2} - V_{th}$), the responsivity becomes larger in the range ($V_{g1,2} - V_{th}$) < 0.2 V (see Fig. 8), resulting in the decrease of the NEP value. On the other hand, near the threshold condition ($V_{g1,2} - V_{th}$) $\sim$ 0, the drain resistance becomes much larger because of the pinch-off, resulting in an increase of the NEP value. As a result, the NEP value

becomes minimal around the midpoint ($(V_{g1,2} - V_{th}) \sim -0.1$ V. This trend is seen for all the A-DGG HEMT devices and bias conditions due to very similar characteristics of drain resistance and responsiveness for both gates at every frequency measured.

The detection performance at a low frequency of 292 GHz was also characterized at low temperatures ranging from 50 to 125 K (see Fig. 9).⁴⁴ By decreasing the temperature, one can see a peak appearing as a shoulder and narrowing on the detection curves. This peak is identified as a gated plasmon resonance and its frequency can be estimated as $\delta f = (f/2) * [\delta V_{g1}/(V_{g1} - V_{th1})]$, where f is the incident frequency and $V_{th1} = -1.2$ V. This width is found to vary from 279 to 100 GHz when decreasing the temperature. The observed shrinking of the resonance peak can be explained by an increase of plasma waves damping time τ via an increase of carrier's mobility. The quality factor of the resonances' linewidth is experimentally determined by $\delta f/f = 3$ from which the plasmon decay time is estimated to be ~ 2 ps. This quality factor should reflect on the response speed of the plasmon-resonant. Therefore, very fast speed THz detection beyond tens of Gbit/s could be feasible. Its precise characterization is a future subject of study. The device response speed is characterized indirectly by the resonant-mode detection. Figure 9 also shows calculations of channel resistivity R and the difference induced in drain

Fig. 8 Measured noise equivalent power for (a) sample # 2-4 at 1 THz as functions of the gate swing voltages $V_{g1} - V_{th1}$ and $V_{g2} - V_{th2}$ and (b) sample # 2-3 at 1, 1.5, and 2 THz as a function of the gate swing voltage $V_{g2} - V_{th2}$. The noise equivalent power becomes minimum at $V_{g1,2} - V_{th} \sim 0.1$ V (after Ref. 37).

Fig. 9 Measured photoresponse at 292 GHz for different temperatures as a function of gate voltage swing (left) and calculated curves $R * \Delta I$ (right), where R is the channel resistivity, ΔI (I with radiation – I without radiation) is the difference induced in drain current by the incoming THz radiation. (after Ref. 40).

current by the incoming THz radiation ΔI (I with radiation – I without radiation). The $R * \Delta I$ curves (right axis) consistently shows the resonant peak obtained from experiments.

3.3 Discussion

Utilizing the excitation of 2-D plasmons is a promising approach for both emission and detection of THz radiation. Recently, there were several outstanding works published on THz plasmonic detection by nanowire single-gate FETs⁴⁷ as

well as graphene-channel single-gate FETs.⁴⁸ A comprehensive review of all these single-gate plasmonic nanotransistor detectors is given in a recent paper by Knap et al.⁴⁹ The DGG HEMT detectors can potentially offer better figures of merit because of their following important advantages against all these single-gate FET detectors.

1. The DGG-HEMT THz detector does not need supplementary antenna elements because the grating gate itself serves as an effective coupler between THz radiation and plasmons in the HEMT channel. On the contrary, a single-gate plasmonic FET weakly couples to THz radiation and hence needs supplementary antenna elements.
2. Asymmetry needed for obtaining strong detection signal is introduced into each unit cell of the DGG structure in a controlled way by using monolithically integrated technology. Therefore, all unit cells operate coherently, yielding the strong cumulative resultant detection response.
3. The DGG-HEMT combines useful properties of both resonant and nonresonant THz plasmonic detectors. Plasmons (also nonresonant plasmons) are effectively excited in undepleted portions of the entire DGG-HEMT channel, while strongly depleted (hence highly resistive) portions of the DGG-HEMT channel under the biased subgrating of the DGG serve for effective readout of the photovoltaic detection signal.

Fig. 10 (a) 2 mm $\times$ 10 mm die (accommodating 32 independent emitter devices) mounted on a quartz substrate. Two emitters are wire-bonded with metalized patterns on the substrate for electrical connection. (b) Emitter chip mounted on a sample holder installed in the chamber of the FTIR spectrometer equipment. (c) Measured absorption spectrum of atmospheric water vapor in comparison with the data provided by NASA (after Ref. 35).

All these advantageous features combined together result in a huge THz photovoltaic response of the DGG-HEMT detectors as mentioned above.

4 Applications to Nondestructive THz Spectroscopy

4.1 2-D Plasmon Emitters for Broadband THz Light Sources in Fourier Transform THz Spectroscopy

The plasmon resonant A-DGG-HEMT emitter SG-1 shown in Fig. 5(a) was introduced into the FTIR system in place of the mercury lamp and its applicability as a broadband THz light source was examined. The detector was a 4.2-K-cooled Si composite bolometer whose absolute detection power was not calibrated so that we could characterize the relative intensity spectra. Atmospheric water vapor and several sugar groups, whose identical absorption/transmis-

sion spectra coexist in the emission spectral range available from the emitter, are chosen as samples under measurement. First, the atmospheric water-vapor absorption was measured. The experimental procedure was as follows: first, we measured the emission spectra in vacuum inside the spectrometer as the reference. Then, the atmospheric air was introduced into the spectrometer and we performed the actual measurement. The obtained result was normalized to the reference data. The FTIR system (Fig. 10) shows the measured absorption spectrum of the water vapor. The result ranging from 1 to 6.5 THz coincides well with the spectrum data provided by NASA.³⁴

Next, we measured the transmission spectra of two different types of sugar groups: honey and maple syrup, both of which contain featured spectrum in the THz region. Figures 11(a) and 11(b) plot the results measured by using the plasmon-resonant emitter (this work) and by using a

Fig. 11 Transmission spectra of sugar groups measured by using a plasmon-resonant emitter (this work) and by using a high-pressure mercury lamp, and their main ingredient(s) provided by RIKEN. (a) Honey versus glucose and fructose. (b) Maple syrup versus sucrose (after Ref. 35).

Fig. 12 Imaging setup and results using an InP-based S-DGG and A-DGG HEMTs. (a) Experimental setup for sub-THz imaging experiments. (b) Photo image of the sample holder of the imaging setup. (c) A tea bag measured by using an S-DGG HEMT. Left: photo image; right: THz image (after Ref. 38). (d) Photo images and THz imaging measured by using an A-DGG HEMT. Left: an IC card; right: a soap bar (after Ref. 39).

high-pressure mercury lamp, and their main component(s) provided by RIKEN.³⁴ The measured samples—honey and maple syrup—were in liquid form, but the components of sugar groups measured by RIKEN were dry pellets. Thus, comparison of the absorption peak points among them does not make sense. However, the molecular structures may reflect on the overall spectral shape. They clearly exhibit identical spectral features for both materials. The major bumps measured for each spectrum correspond fairly well to those for the main components for each: (a) honey versus glucose and fructose and (b) maple syrup versus sucrose. Other minor part of the ingredients and/or impurities may also perturb the spectral shape. Compared with a high-power mercury lamp, the plasmon-resonant microchip emitter yields higher noise on the spectra due to weak emission intensity. Further improvements on its emission power will be feasible as is described before, which enables the device to be a promising candidate as a new THz light source.

4.2 2-D Plasmon Detectors for THz Imaging

A THz imaging experiment was carried out for several DGG HEMT detectors using the experimental setup shown in Figs. 12(a) (Ref. 38) and 12(b) (Ref. 39). The imaging results are shown in Figs. 12(c) (Ref. 38) and 12(d) (Ref. 39). The samples under imaging are (c) a tea bag with an aluminum-coated plastic package (a 50-nm-thick aluminum being vacuum-evaporated onto the plastic film) and (d) an IC card and a soap bar. As seen in Fig. 12(c), the THz radiation can transit through the aluminum-coated plastic package so that it could successfully identify the contents of the tea leaves inside the tea bag. As seen in Fig. 12(d), measured results clearly demonstrate the imaging of hidden substances of circuit/antenna components inside of the IC card and the thickness of the soap bar with a nice contrast in a sub-mm resolution.

5 Conclusion

Recent advances in emission and detection of THz radiation using 2-D plasmons in semiconductor nanoheterostructures for nondestructive evaluations were reviewed. The Doppler-shift effect of the plasma wave velocity under an asymmetric plasmon cavity boundary and/or the spatial modulation of electron transit time in a sub-micrometer scale 2-D plasmon system with a nonuniform 2-D electron density distribution can promote the plasmon instability, resulting in self-oscillation of plasmons in the THz regime. The hydrodynamic nonlinearity of 2-D plasmons can rectify the incoming electromagnetic radiation, resulting in photovoltaic detection of THz radiation under an asymmetric 2-D plasmon cavity boundary. The device structure that can provide practical emission and detection performances was addressed and was based on an HEMT that incorporated an asymmetrically interdigitated DGGs structure. Excellent THz emission and detection performances including coherent, monochromatic emission beyond 1-THz range and an extremely high detection responsiveness of 2.2 kV/W at 1 THz at 300 K were experimentally demonstrated by using InAlAs/InGaAs/InP heterostructure material systems. Finally, several applications to nondestructive material evaluation based on THz imaging are demonstrated. The obtained

results encourage us to proceed with further industrialization of these plasmonic THz devices.

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