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Abstract. A configuration based on phase difference on a double-sideband pump wave is proposed to detect the differential variation of temperature or strain in single-mode optical fibers. In our configuration, a probe wave only experiences a differential Brillouin gain contributed by the perturbation of temperature or strain in the sensing fiber. As a result, the power limitation of the probe wave can be alleviated and the photodetector in our configuration does not easily become saturated in the case of a longer sensing range. The spatial resolution is determined by the duration of the phase difference on the two sidebands and the signal-to-noise of our system is nearly twice as high as that of a differential pulse-width pair Brillouin optical time domain analysis sensor since a π -phase shift on the pump wave is employed. The properties and performances of our method are also theoretically derived and experimentally validated. © The Authors. Published by SPIE under a Creative Commons Attribution 3.0 Unported License. Distribution or reproduction of this work in whole or in part requires full attribution of the original publication, including its DOI. [DOI: [10.1117/1.OE.54.6.067101](https://doi.org/10.1117/1.OE.54.6.067101)]

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1 Introduction

For the past decade, distributed optical fiber sensors based on Brillouin optical time domain analysis (BOTDA) have been extensively applied to solve the monitoring of temperature and strain in large structures like pipelines and electrical power cables. This technique is based on the stimulated Brillouin scattering (SBS), in which a pump pulse and counter-propagating continuous probe wave,¹ spectrally separated by the Brillouin frequency shift (BFS), interfere and produce an acoustic field through electrostriction that initiates a power transfer between the two optical waves. However, the best attainable spatial resolution of conventional BOTDA is limited down to 1 m,² attributed to the phonon lifetime (about 6 ns).³ Recently, several pulse-based configurations such as prepumping pulse,⁴ dark pulse,⁵ and π -phase pulse⁶ have been proposed aimed at reducing the rapid broadening of the Brillouin gain spectrum (BGS) when shorter pulses are employed. In these pulse-based methods, an apparent Brillouin gain variation on the sensing signal will be observed by using a continuous pump wave to pre-pump the phonon field before the actual pump pulse arrives and passes through. This visible reflection on the pre-excitation of the steady acoustic wave is called the first echo and its magnitude is determined by the amplitude of the steady acoustic wave generated by the continuous counter-propagating optical waves. In these configurations, a natural Brillouin linewidth is preserved resulting in high sensitivity to temperature or strain and simultaneously providing high-spatial resolution, while suffering from a long lasting second echo giving rise to an inaccurate measurement of the BGS. There are many approaches that try to mitigate the effect of the second echo, such as deconvolution-based method,⁴ Brillouin gain-profile tracing,⁷ and four-section dark pulse,⁸ but the sensing range is limited because the probe wave

experiences saturated Brillouin gain contributed by every point of the sensing fiber in the case of a continuous pump wave. After that, many techniques have been proposed to extend the range of BOTDA sensors. One technique⁹ based on an unbalanced double sideband (DSB) probe wave is reported to mitigate the nonlocal effects induced by pump depletion and a sensing range of 50 km with a 5-m spatial resolution is achieved by this method. Another technique¹⁰ based on a DSB modulated probe wave was also recently proposed. With this technique, the pump depletion of the DSB modulation is remarkably suppressed and a longer sensing range is possible according to the theoretical simulation and experimental results. Additionally, configuration based on the differential pulse-width pair BOTDA (DPP-BOTDA)¹¹ is also reported to extend the sensing range and simultaneously achieve submeter spatial resolution, while the measurement time is twice as long as that of the traditional BOTDA. Another novel configuration based on coherent interaction of the Brillouin gain and loss by optical differential parametric amplification (ODPA-BOTDA)¹² is proposed to reduce the measurement time by half and avoid the photodetector being saturated since the difference of the signals is directly detected before reaching the photodetector. More recently, our group proposed an improved ODPA-BOTDA¹³ based on a double-sideband probe wave. In this proposal, submeter spatial resolution and a longer sensing range can be achieved by balancing the power of the two pump pulses. However, the signal-to-noise (SNR) both of ODPA-BOTDA and our improved ODPA-BOTDA is the same as that of traditional DPP-BOTDA configuration, which still limits the sensing range.

In this paper, a novel differential Brillouin fiber sensor is proposed in which Stokes and anti-Stokes pump waves are simultaneously phase modulated and delay each other in the time domain to produce a phase difference on the part of Stokes and anti-Stokes pump waves. With this scheme, a probe wave experiences a Brillouin gain only when there

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exists a temperature or strain change along the sensing fiber. As a result, the photodetector in our proposal is less likely to become saturated and the probe wave's power can be increased in the case of a longer sensing range. With this technique, the SNR is nearly twice as high as that of the DPP-BOTDA configuration resulting from the π -phase shift on the pump wave and an even longer sensing range will be achieved. In addition, a novel fitting method is also proposed in this paper to accurately extract the estimated parameters of the Brillouin scattering spectrum from noisy signals.

2 Theoretical Analysis and Simulation

To validate our concept, a three-section pump pulse as described in Fig. 1(a) is presented for theoretical analysis as described in Ref. 4, in which a general analytic solution of a classical three-coupled equation is presented based on this three-section pump pulse. The first section of the three-section pump pulse with a pump amplitude of αA_p^0 and width of t_0 is assumed to be long enough to activate the acoustic field, and the middle section with a pump amplitude of βA_p^0 and duration of T following the first section is the actual pump pulse to obtain Brillouin gain. The last section with a pump amplitude of γA_p^0 and infinitely long duration is to balance the Brillouin gain captured by the middle section in our proposal. Then the three-section pump pulse can be described as

$$A_{pi}(z, t) = A_p^0 \left[\alpha_i u\left(t - \frac{z}{V_g}\right) + (\beta_i - \alpha_i) u\left(t - t_0 - \frac{z}{V_g}\right) + (\gamma_i - \beta_i) u\left(t - t_0 - T - \frac{z}{V_g}\right) \right], \quad i = 1, 2, \quad (1)$$

where $u(\cdot)$ stands for the Heaviside unit step function and $A_{pi}(z, t)$ represents the slowly varying envelope approximation of the anti-Stokes pump if $i = 1$, otherwise the Stokes pump envelope is represented. The schematic model of our technique is described in Fig. 1(b). An anti-Stokes pump wave at frequency $\nu_{p1} = \nu_0 + f_m$ and a Stokes pump wave with the same power and polarization at frequency $\nu_{p2} = \nu_0 - f_m$ are synchronously launched into the sensing fiber with a phase difference. The duration of the phase difference T on the two sidebands determines that the spatial resolution is $V_g T/2$, where V_g is the velocity of light propagating along the standard SMF. Further, f_m is the modulated frequency altering the nearby Brillouin frequency shift ν_B ; and the counter-propagating probe wave at frequency ν_0 is injected

into the far end of the sensing fiber interacting with the double-sideband pump wave at the same time.

In our configuration, the energy transfers from the anti-Stokes pump wave to the counter-propagating probe wave and then equivalently from the probe wave to the Stokes pump during the first section as described in Fig. 1(b). It should be noted that there will be a remarkable change appearing where the energy is reflected from the probe wave to the anti-Stokes pump wave owing to a phase difference of π on the anti-Stokes pump wave when the middle section with a duration of T continues its travel through the sensing fiber. Then the energy transfer during the last section will be slowly recovered to the same direction as with the first section. A theoretical solution can be obtained by analytically decomposing the above SBS process into two independent ones. Interaction between the anti-Stokes pump and the probe wave is referred to as a Brillouin gain process, and that between the Stokes pump and the probe wave is referred to as a Brillouin loss process. Further, it can be described by two three-coupled equations with a slowly varying envelope approximation and negligible transverse field variations as following:³

$$\frac{\partial A_{pi}(z, t)}{\partial z} + \frac{1}{V_g} \frac{\partial A_{pi}(z, t)}{\partial t} = i \frac{1}{2} g_2(z) A_{si}(z, t) Q_i(z, t), \quad (2)$$

$$\frac{\partial A_{si}(z, t)}{\partial z} - \frac{1}{V_g} \frac{\partial A_{si}(z, t)}{\partial t} = -i \frac{1}{2} g_2(z) A_{pi}(z, t) Q_i^*(z, t), \quad (3)$$

$$\frac{\partial Q_i(z, t)}{\partial t} + \Gamma_A(z) Q_i(z, t) = i g_1(z) A_{pi}(z, t) A_{si}^*(z, t), \quad (4)$$

where the Brillouin gain process is described when $i = 1$, and the Brillouin loss process is represented when $i = 2$. The frequency detuning parameter is $\Gamma_A(z) = i(\Omega_B^2(z) - \Omega^2 - i\Omega\Gamma_B)/(2\Omega) \approx \Gamma_B/2 + i(\Omega_B - \Omega)$ for $\Omega \approx \Omega_B$, where $\Omega_B/2\pi$ and $\Omega/2\pi$ are the Brillouin shift frequency and pump-probe frequency difference, respectively. $Q_i(z, t)$ is the slowly varying envelope approximation of the activated acoustic field. Γ_B is the acoustic damping constant relating to the full width of half maximum of the BGS ΔV_B by $\Gamma_B = 1/\tau_A = 2\pi\Delta V_B$, where τ_A is the lifetime of the acoustic wave approximating to 6 ns³ in a standard SMF. $g_1(z)$ and $g_2(z)$ are electrostrictive and elasto-optic coupling coefficients, respectively.

Above three-coupled wave equations are solved by a perturbation theory. The signal amplitude $A_{si}(z, t)$ is

Fig. 1 (a) Schematic diagram of three-section pulse where the pump amplitudes are αA_p^0 , βA_p^0 , and γA_p^0 , respectively and (b) schematic model of our method. There is a phase difference of π between the red part and the blue one. The orange arrows represent the direction of energy transfer. The spatial resolution is determined by T .

assumed to be expressed as a summation of constant component A_{si}^0 and small varying component $a_{si}(z, t)$ resulting from the Brillouin gain ($i = 1$) or loss ($i = 2$). Then, the signal power $P_s(z, \Omega, t)$ accumulated from the far end to the starting end of the sensing fiber is linearly dependent on the amplitude of the time varying Brillouin signal, which is similar to Ref. 4

$$P_s(z, \Omega, t) = |A_s^0 + (a_{s1} - a_{s2})|^2 \approx |A_s^0|^2 + 2 \operatorname{Re}[A_s^{0*}(a_{s1}(z, \Omega, t) - a_{s2}(z, \Omega, t))]. \quad (5)$$

By assuming infinite rise and fall times of the pump wave and using Laplace transform as presented in Ref. 4, the general analytic solution based on a double-sidebands pump wave in our proposal can be approximated by

$$\begin{aligned} a_s(z \leq z_0, t|t_0 \gg \tau_A, t \gg t_0) &= a_{s1}(z, \Omega, t) - a_{s2}(z, \Omega, t) \\ &= g(z_0) \frac{I_p^0 A_s^0}{2\Gamma_A^*} \Delta z \times \left\{ (\alpha_1^2 - \alpha_2^2) \left[u\left(t - \frac{2z_0 - z}{V_g}\right) - u\left(t - t_0 - \frac{2z_0 - z}{V_g}\right) \right] + \left[(\beta_1 \beta_1^* - \beta_2 \beta_2^*) - (\beta_1 \beta_1^* - \beta_2 \beta_2^* - \beta_1 \alpha_1 + \beta_2 \alpha_2) \exp\left[-\Gamma_A^* \left(t - t_0 - \frac{2z_0 - z}{V_g}\right)\right] \right] \right. \\ &\quad \times \left[u\left(t - t_0 - \frac{2z_0 - z}{V_g}\right) - u\left(t - t_0 - T - \frac{2z_0 - z}{V_g}\right) \right] \\ &\quad + \left[(\gamma_1 \gamma_1^* - \gamma_2 \gamma_2^*) - \left[(\gamma_1 \beta_1^* - \gamma_2 \beta_2^*)(1 - \exp(\Gamma_A^* T)) - ((\gamma_1 \alpha_1 - \gamma_2 \alpha_2) - (\gamma_1 \gamma_1^* - \gamma_2 \gamma_2^*) \exp(\Gamma_A^* T)) \right] \right] \\ &\quad \times \exp\left(-\Gamma_A^* \left(t - t_0 - \frac{2z_0 - z}{V_g}\right)\right) \Bigg\} \\ &\quad \times u\left(t - t_0 - T - \frac{2z_0 - z}{V_g}\right), \end{aligned} \quad (6)$$

where $g(z_0) = g_1(z_0)g_2(z_0)$ and $I_p^0 = |A_p^0|^2$ stands for one-sideband pump intensity. Considering our differential phase modulation on a double-sideband pump wave as described in Fig. 1(b) where $\alpha_1 = 1$, $\beta_1 = -1$, $\gamma_1 = -1$ and $\alpha_2 = 1$, $\beta_2 = 1$, $\gamma_2 = -1$, then the final Brillouin signal obtained at a given fiber location z_0 with a very short fiber length Δz can be reduced to

$$\begin{aligned} a_s(z \leq z_0, t|t_0 \gg \tau_A, t \gg t_0) &= -g(z_0) \frac{I_p^0 A_s^0}{\Gamma_A^*} \Delta z \\ &\times \left\{ \exp\left[-\Gamma_A^* \left(t - t_0 - \frac{2z_0 - z}{V_g}\right)\right] \left[u\left(t - t_0 - \frac{2z_0 - z}{V_g}\right) - u\left(t - t_0 - T - \frac{2z_0 - z}{V_g}\right) \right] + [1 - \exp(\Gamma_A^* T)] \right. \\ &\quad \times \exp\left[-\Gamma_A^* \left(t - t_0 - \frac{2z_0 - z}{V_g}\right)\right] u\left(t - t_0 - T - \frac{2z_0 - z}{V_g}\right) \Bigg\}. \end{aligned} \quad (7)$$

Meanwhile, we also give the Brillouin-induced contribution of a very short segment Δz in π -phase configuration⁶ where $\alpha_1 = 1$, $\beta_1 = -1$, $\gamma_1 = 1$ and $\alpha_2 = 1$, $\beta_2 = 1$, $\gamma_2 = 1$ for comparison as follows

$$\begin{aligned} a_s^\pi(z \leq z_0, t|t_0 \gg \tau_A, t \gg t_0) &= -g(z_0) \frac{I_p^0 A_s^0}{\Gamma_A^*} \Delta z \\ &\times \left\{ \exp\left[-\Gamma_A^* \left(t - t_0 - \frac{2z_0 - z}{V_g}\right)\right] \left[u\left(t - t_0 - \frac{2z_0 - z}{V_g}\right) - u\left(t - t_0 - T - \frac{2z_0 - z}{V_g}\right) \right] - [1 - \exp(\Gamma_A^* T)] \right. \\ &\quad \times \exp\left[-\Gamma_A^* \left(t - t_0 - \frac{2z_0 - z}{V_g}\right)\right] u\left(t - t_0 - T - \frac{2z_0 - z}{V_g}\right) \Bigg\}. \end{aligned} \quad (8)$$

Comparing Eq. (7) with Eq. (8), the solution of the Brillouin-induced signal in our method is similar to the π -phase pulse method as shown in Fig. 2. As proven by Fig. 2(b), the Brillouin gain of the actual sensing pump section in our proposal is almost twice as high as the DPP-BOTDA sensor, which demonstrates that the SNR of our system is nearly twice as high as that of the DPP-BOTDA configuration. Additionally, as shown in Figs. 2(a) and 2(b), both our proposal and π -phase pulse method suffer from the second echo resulting in an inaccurate measurement of the BGS but will be greatly improved in our configuration because the second echo will be offset by the Brillouin gain contributed by the actual sensing section. To illustrate this, we assume that there is a long enough standard SMF with a fixed Brillouin frequency shift and no temperature or strain variation. Then to obtain the detected signal power of our proposal, integration over t in Eq. (7) is carried out from the far end of the sensing fiber to the starting end

$$\begin{aligned} P_s(z, \Omega) &= \operatorname{Re} \left[\int_0^\infty a_s(z \leq z_0, t|t_0 \gg \tau_A, t \gg t_0) dt \right], \\ &= \operatorname{Re} \left[-g(z_0) \frac{I_p^0 A_s^0}{\Gamma_A^*} \Delta z \left\{ \frac{1}{-\Gamma_A^*} [\exp(-\Gamma_A^* T) - 1] + \frac{1}{-\Gamma_A^*} [1 - \exp(-\Gamma_A^* T)] \right\} \right], \\ &= 0. \end{aligned} \quad (9)$$

As illustrated by Eq. (9), the probe wave's power in our technique will not change because Brillouin depletion or amplification of the probe wave occurs only when there is a temperature or strain change in the sensing fiber, while it changes in the π -phase configuration according to a Lorentzian BGS as given by³

$$g_B(\Omega) = \frac{g_p(\Gamma_B/2)^2}{(\Omega - \Omega_B)^2 + (\Gamma_B/2)^2}, \quad (10)$$

where g_p is the peak value of the Brillouin gain at $\Omega = \Omega_B$. As proven by Eq. (9), the Brillouin-induced contribution during the middle section is completely equal to the last section both in our proposed technique and the π -phase configuration, which means the area of part A in Fig. 2 is equal to that of part B in Fig. 2. The only difference is that the resultant Brillouin gain is contributed by subtraction of the two parts

Fig. 2 Brillouin gain at resonance in the time domain for different pump waveforms as calculated by plotting Eq. (6) with $2Z_0/V_g = 20$ ns, $T = 5$ ns: (a) π -phase pulse configuration ($\alpha_1 = 1, \beta_1 = -1, \gamma_1 = 1, \alpha_2 = 1, \beta_2 = 1, \gamma_2 = 1$); (b) our configuration ($\alpha_1 = 1, \beta_1 = -1, \gamma_1 = -1, \alpha_2 = 1, \beta_2 = 1, \gamma_2 = -1$), and differential pulse-width pair Brillouin optical time domain analysis ($\alpha_1 = 1, \beta_1 = 1, \gamma_1 = 0, \alpha_2 = 1, \beta_2 = 0, \gamma_2 = 0$).

in our method, while it is contributed by summation in the traditional π -phase pulse configuration. Hence, the BGS in our proposal is a differential BGS which can be experimentally validated in the following experimental part and it can be written as

$$g(\Omega) = \frac{g_p(\Gamma_B/2)^2}{(\Omega - \Omega_B)^2 + (\Gamma_B/2)^2} - \frac{g_p(\Gamma_B/2)^2}{(\Omega - (\Omega_B + \Delta\Omega_B))^2 + (\Gamma_B/2)^2}, \quad (11)$$

where the Brillouin resonance frequency of unperturbed segment is denoted as Ω_B and that of perturbed segment is denoted as $\Omega_B + \Delta\Omega_B$. As illustrated by Eq. (11), the BGS in the unperturbed segment will remain zero, which means the probe wave will not experience any Brillouin gain during the unperturbed segment. As a result, the photodetector in our proposal is less likely to become saturated and the power limitation of the probe wave can be alleviated.

In order to validate such a Brillouin spectrum response, the general solutions given by Eqs. (7) and (8) are deployed

to a standard SMF. The length of the fiber under simulation is set to 21.5 m with a fixed Brillouin resonance frequency of 10.873 GHz. A 50-cm long heated segment with a 36 MHz frequency shift (about 40°C for $\sim 1.12^\circ\text{C}/\text{MHz}$)¹⁴ is located approximately between 13.2 and 13.7 m. Further, t_0 is again assumed to be long enough to preactivate the acoustic field and the duration of the phase difference T is given by 5 ns corresponding to 50-cm spatial resolution. Figure 3 is the contour color maps of the BGS with a frequency range of 17 GHz in steps of 2 MHz for our configuration and the π -phase pulse configuration for comparison.

As depicted in Fig. 3, the top-view diagram of Brillouin gain in our system is considerably different from that in a conventional configuration. In our configuration, a differential BGS is presented and the heated segment with a resonance frequency difference of 36 MHz is clearly observed as shown in Fig. 3(a) where the stripes are caused by the last section of the pump wave when it passes through the heated segment. However, the BGS presents a classical

Fig. 3 Simulated top-view of the Brillouin signal with a Brillouin resonance frequency difference of 36 MHz between the perturbed segment and unperturbed segment: (a) our configuration and (b) π -phase pulse configuration.

Fig. 4 Simulated time traces of the probe wave at two typical frequencies, red line: 10.908 GHz; blue line: 10.874 GHz: (a) our configuration and (b) π -phase pulse configuration.

Lorentzian spectrum with a nature Brillouin linewidth in π -phase pulse configuration, and it can hardly detect a heated segment with a Brillouin resonance frequency difference of 36 MHz as shown in Fig. 3(b). That can be explained by the subtraction as proven by Eq. (11) that yields a higher sensitivity to the variation of temperature or strain, especially when there is a small temperature or strain variation, which is difficult to achieve in a traditional distributed configuration. We also plot in Fig. 4 the probe signal traces at two typical pump-probe frequency differences both in our configuration and the π -phase pulse configuration for further demonstration. As shown in Fig. 4(a), there exists much overlap between the two traces in our technique, which means that it is easier to capture small variations of temperature or strain, while, in case of Fig. 4(b), to accurately make a distinction between the unperturbed segment and the perturbed segment based on a Lorentzian BGS in a traditional distribution configuration becomes much more difficult.

3 Experimental Setup and Results

The validity of our technique was experimentally demonstrated with a 21.5-m long sensing fiber at a room temperature of 28°C with fixed Brillouin resonance frequency of 10.873 GHz for pump wavelength of 1550 nm. A 50-cm heated segment with a temperature of 68°C corresponding

to about a 36 MHz frequency shift is loosely located at the same position as the above simulation part. The experimental setup was described in Fig. 5. A narrow linewidth (~ 3 kHz) tunable laser with a 15.5-dBm output power working around 1550 nm was split into two parts as the probe and pump wave, respectively, by a 10:90 coupler. In the upper branch, the optical beam was directed to a Mach-Zehnder electrooptic modulator (MZ-EOM) driven by a microwave signal of about 11 GHz to generate a carrier-suppressed DSB wave. The two sidebands were then phase modulated by another MZ-EOM operating at a null transmission point to obtain a phase modulation. Then a commercial programmable optical filter (waveshaper 4000S) with a 3-dB filtering bandwidth of 10 GHz was employed to separate the anti-Stokes and Stokes sidebands. The anti-Stokes sideband was delayed by properly selecting the delay fiber (~ 1 m corresponding to a 50 cm spatial resolution) and combined with a Stokes sideband with the same peak power and polarization by using a polarization controller (PC). Then they were amplified to 80 mW through an erbium-doped optical fiber amplifier (EDFA), were launched into the fiber under test and interacted with the probe wave by using an optical circulator. In the lower branch, the optical beam was first scrambled by a polarization scrambler (PS) to average the effect of the state of polarization (SOP) and was launched into the far end of the fiber with an optical power of 2 mW

Fig. 5 Experimental setup of the proposed system.

Fig. 6 Three-dimensional (3-D) distribution of the Brillouin gain along the whole sensing fiber as a function of frequency and position: (a) the top-view diagram (b) the 3-D mappings diagram.

Fig. 7 Probe signal traces of the real experimental result at three typical frequencies where the blue line is sloped mainly because of the unequal optical power of the two sideband pump waves during our experiment.

through an isolator. The probe wave was captured by a AC-coupled photodiode (PD) connecting to an oscilloscope with 1 GSamples/s.

Figure 6 depicts the contour color map of the Brillouin gain versus position and frequency shift captured by our proposed system, providing a preliminary demonstration of our sensing method's validity. It clearly reveals that the 50-cm heated section can be easily recognized owing to the differential BGS as mentioned above. Additionally, the overlap of the probe signal traces obtained by experimental data as shown in Fig. 7 also demonstrate that the heated section can be easily captured by our technique. As a further demonstration of the performance of our proposal, we performed another analysis on precisely finding the Brillouin resonance frequency Ω_B and $\Omega_B + \Delta\Omega_B$ by fitting the experimental data using Eq. (11).

Figure 8(a) gives the measured BGS and fitting BGS using Eq. (11) at $z = 13.7$ m. A remarkable agreement between the measured data and fitting curve can be observed, which demonstrates that our fitting method based on Eq. (11) can achieve correct temperature information and the validation of Eq. (11) can also be experimentally illustrated at

Fig. 8 (a) Fitting Brillouin gain spectrum at $z = 13.7$ m and (b) distribution of Brillouin frequency shift along the whole sensing fiber fitted by Eq. (11).

the same time. According to Eq. (11), we plot the differential BFS in Fig. 8(b), where the top view of the distribution information is measured in the vicinity of the 1-m fiber from 13.2 to 14.2 m. The effective 50-cm spatial resolution is further validated by the 10% to 90% response¹⁵ of the temperature step near the heated segment, which is determined by the 5-ns phase difference between the anti-Stokes and Stokes pump waves. The measured Brillouin frequency shift in the perturbed segment is 35.434 MHz as shown in Fig. 8(b), which indicates that the temperature change is about 40°C, coinciding with our experimental condition well.

4 Conclusion

In conclusion, we have presented a novel scheme based on phase difference on a double-sideband pump wave and a 21.5-m sensing range with a 50-cm spatial resolution was theoretically simulated and experimentally demonstrated. In this paper, we have theoretically derived that only the differential part of the temperature or strain is detected without any extra measurement time, and the photodetector is less likely to become saturated, which means that the power of the probe wave can be increased in the case of a longer sensing range. Additionally, we have demonstrated that the SNR of our differential system is twice as high as that of DPP-BOTDA systems since a π phase shift on the pump wave is implemented and a longer sensing range is possible to achieve. Further, the differential BGS also allows our proposal to a greater potential to recognize small variations of temperature or strain than the traditional Lorentzian BGS. Much better results could be achieved by pulsing the double-sideband pump wave in our experimental condition; this will require further investigation.

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